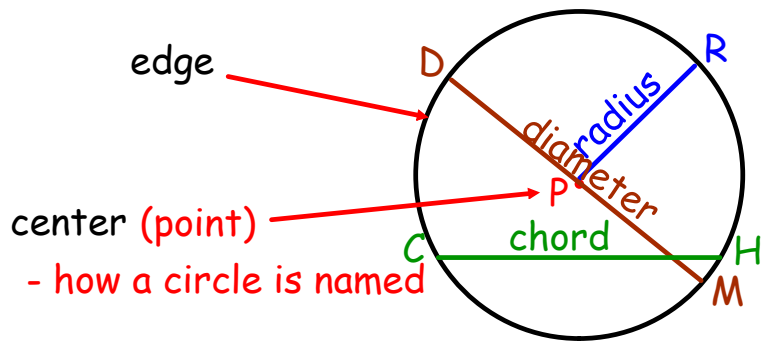


Basic parts of circles:



segments in circles

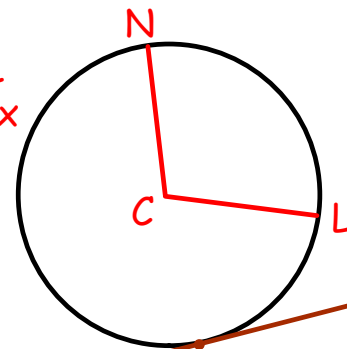
radius - center to point on edge  
 $\overline{PR}$

diameter  $\overline{DM}$   
 - endpoints on edge and through the center

chord  $\overline{CH}$   
 - endpoints on edge

tangent line

central angle  $\angle NCL$   
 - angle with vertex at the center



- line that touches the circle exactly once

$\overleftrightarrow{TG}$

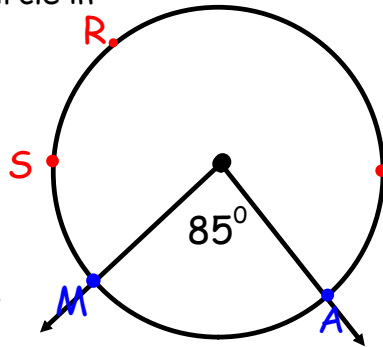
point of tangency

arcs on a circle

arc - two endpoints on the edge and the part of the circle in between

arcmeasure

- the degrees of the central angle through the same endpoints



types of arcs

semicircle  $\widehat{SRC}$   
 - arc with endpoints that make a diameter  
 $m\widehat{SRC} = 180^\circ$

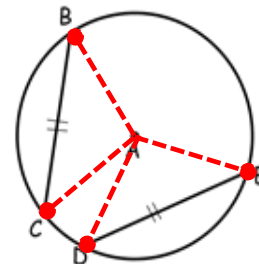
minor arc  $\widehat{MA}$   
 - arc smaller than a semicircle  $m\widehat{MA} = 85^\circ$

major arc  
 - arc bigger than a semicircle

- Properties of chords and tangent lines:

Congruent chord properties:

- If two chords on a circle are congruent, they determine congruent central angles and congruent arcs.  
 so,  $\angle CAB$   $\angle DAE$  and  $\widehat{BC}$   $\widehat{DE}$



**Investigation I:**

Step 1: Draw a chord on the coffee filter.

Step 2: Fold the chord in half and make a crease across the coffee filter. Trace the crease.

Step 3: Draw a different chord on the coffee filter.

Step 4: Fold the second chord in half and make another crease across the coffee filter.

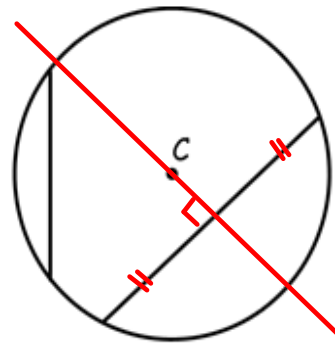
Trace that crease.

Step 5: Label the point of intersection of the two creases,  $C$ .

The perpendicular bisector of a chord ALWAYS

\_\_\_\_\_ goes through the center.  
\_\_\_\_\_

With two chords you can find the center of any circle.



Tangent line properties:

- A tangent line to a circle is ALWAYS **perpendicular to the radius.**

so,  $m\angle ABC = 90^\circ$

- Tangent segments to a circle from a point outside the circle **are congruent.**

so,  $\overline{AB} \cong \overline{AD}$

